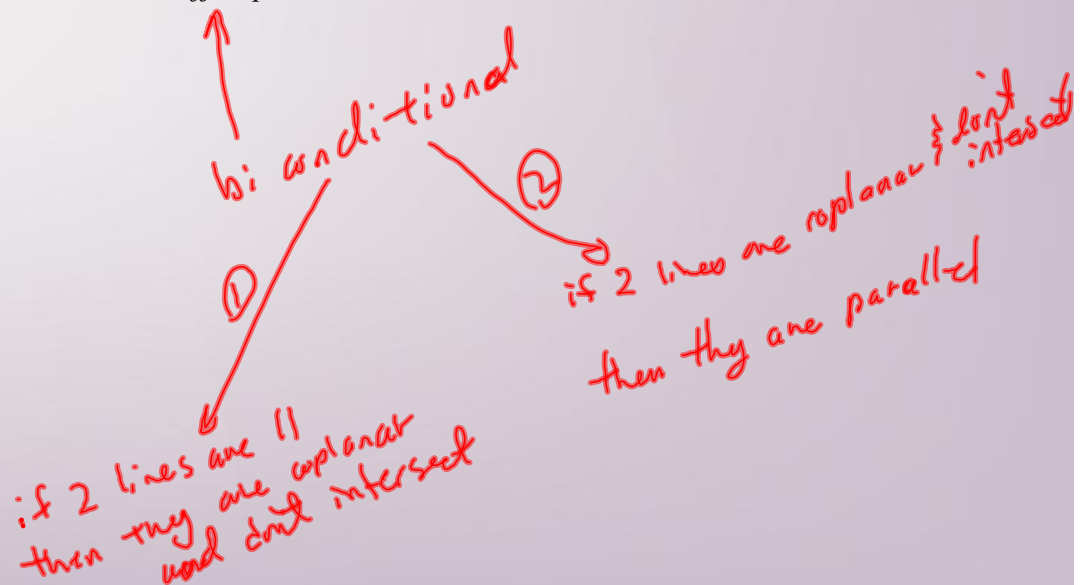


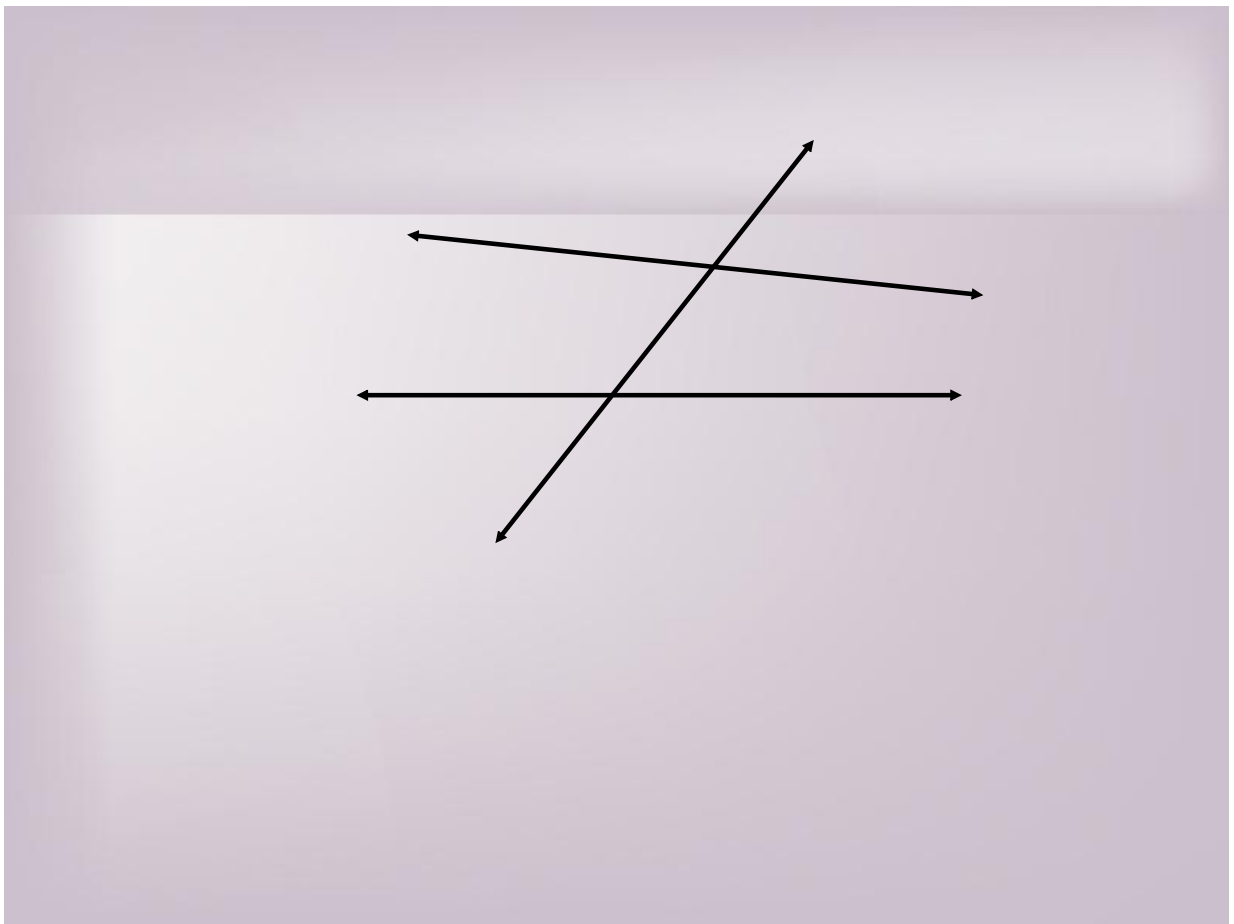
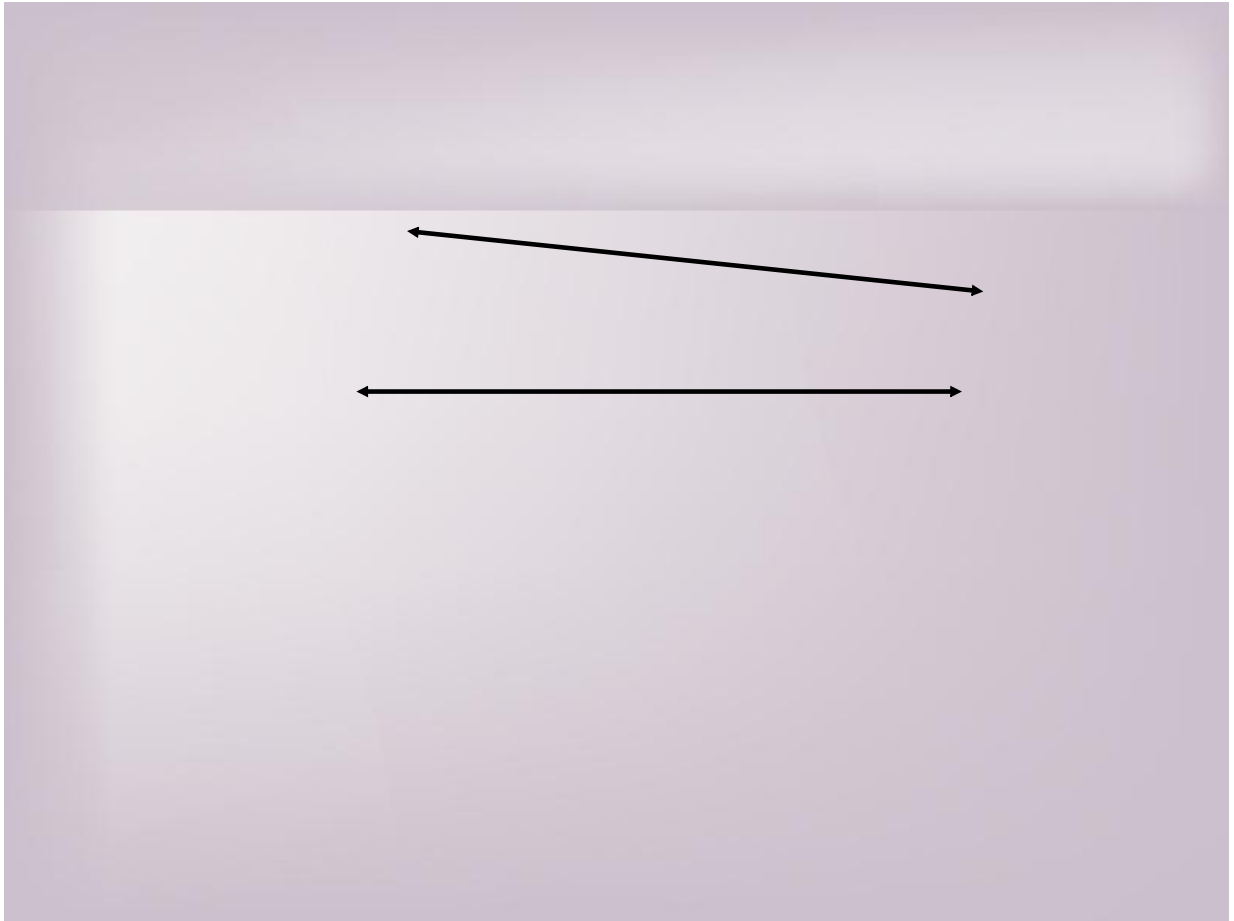
## Warm up Define parallel lines

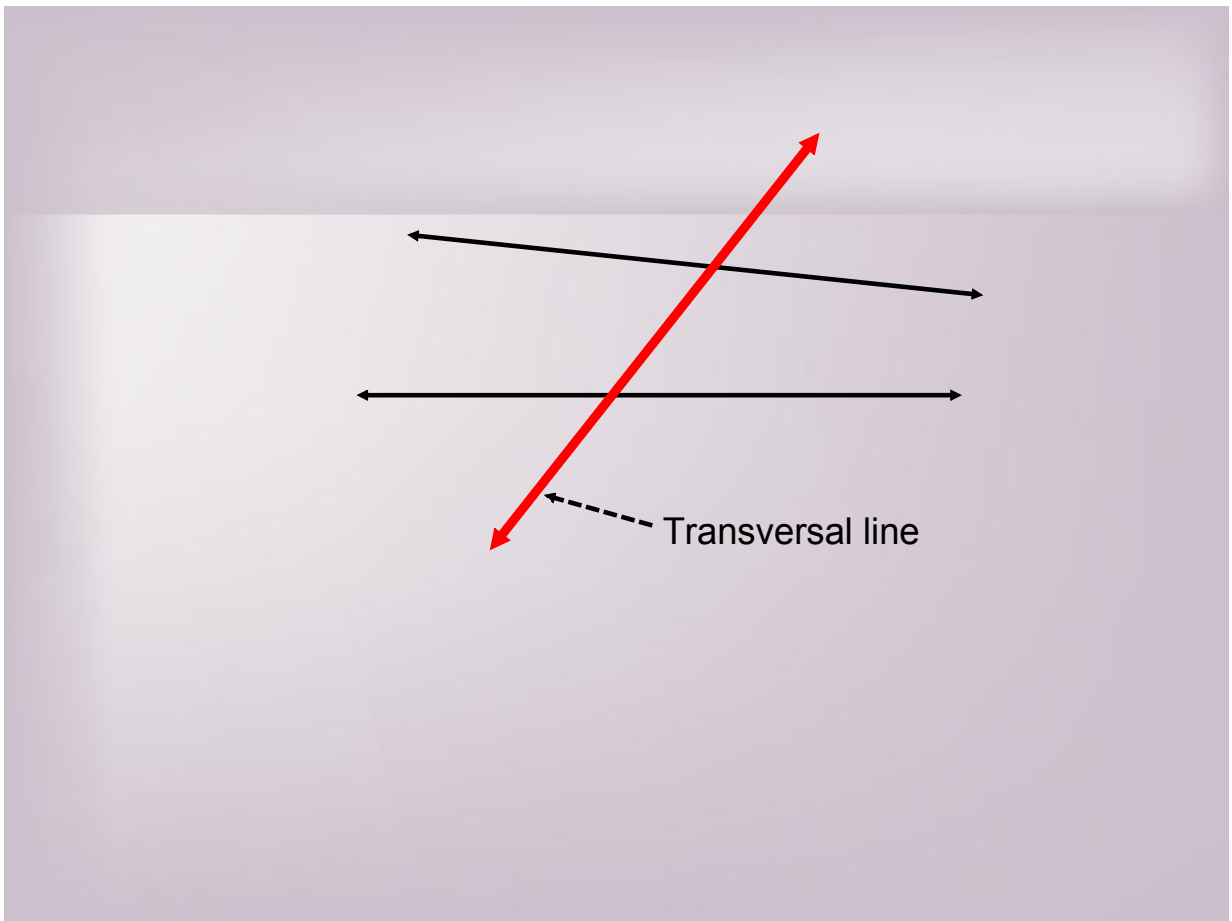
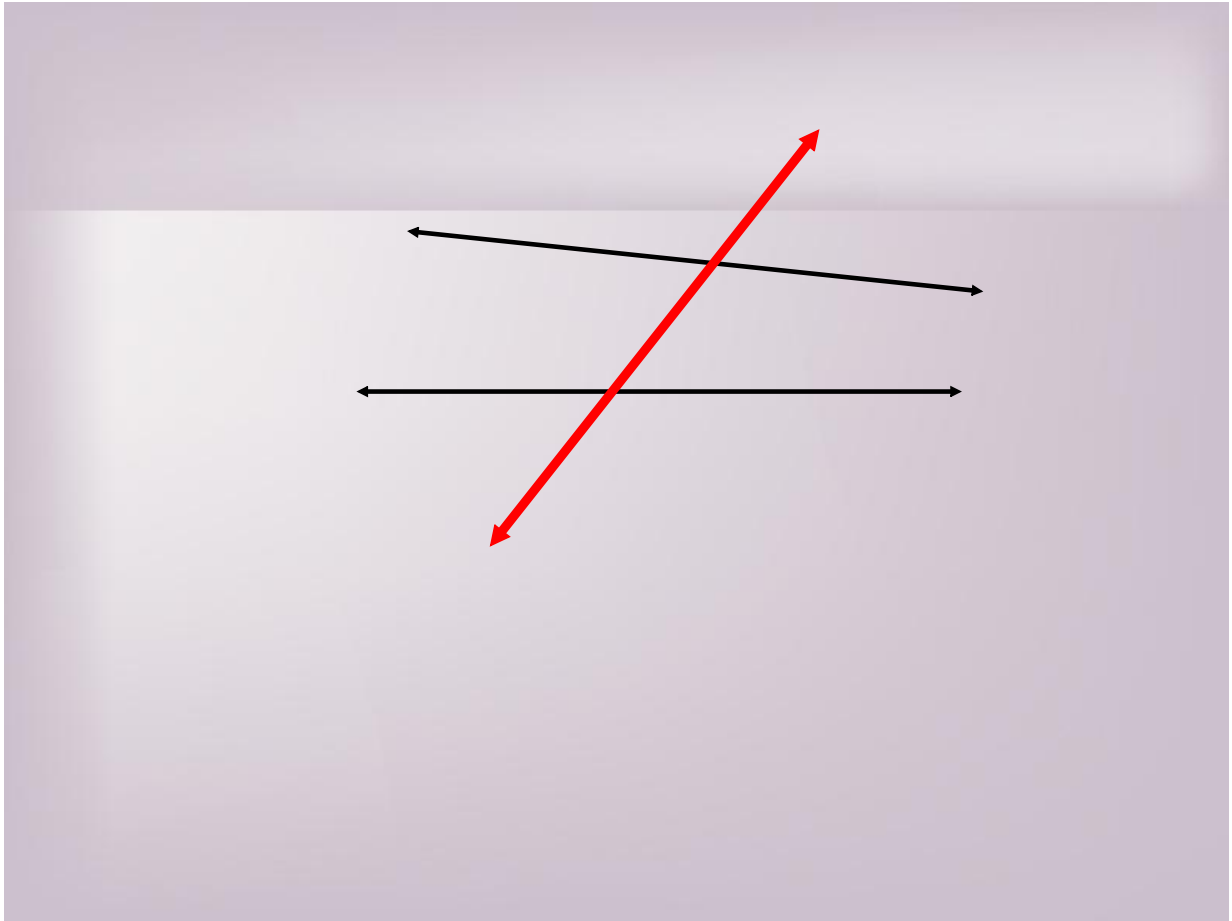
### Define parallel lines

Parallel lines are coplanar lines that do not intersect.

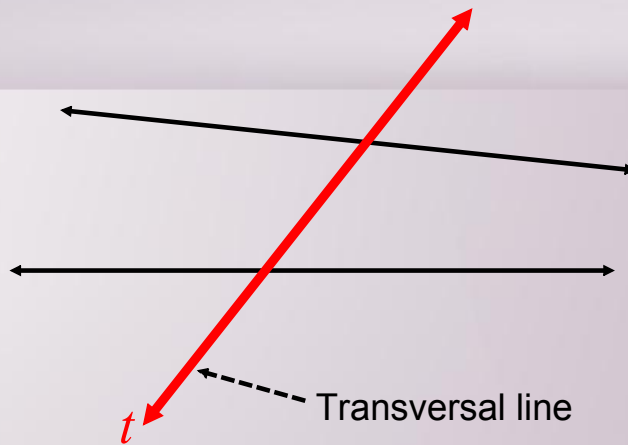
2 or more lines are  $\parallel$  iff coplanar & not intersect



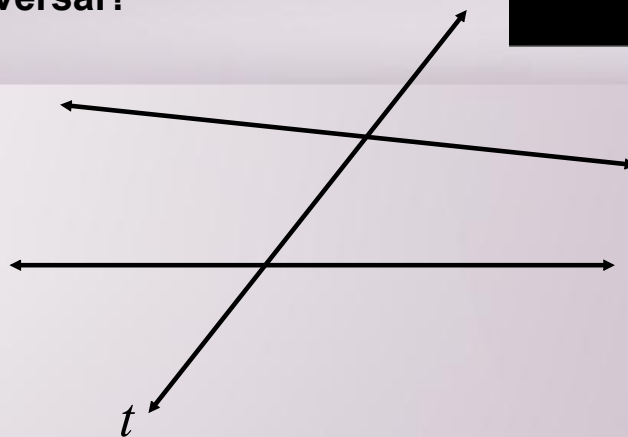




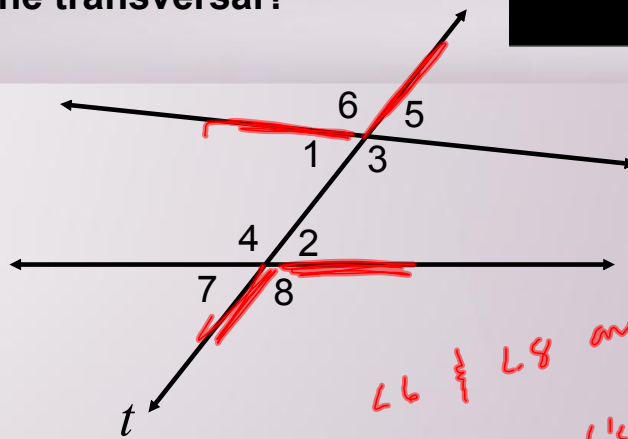
Transversal: A line that intersects 2 coplanar lines at 2 pts.



**1** How many angles are formed by the transversal?

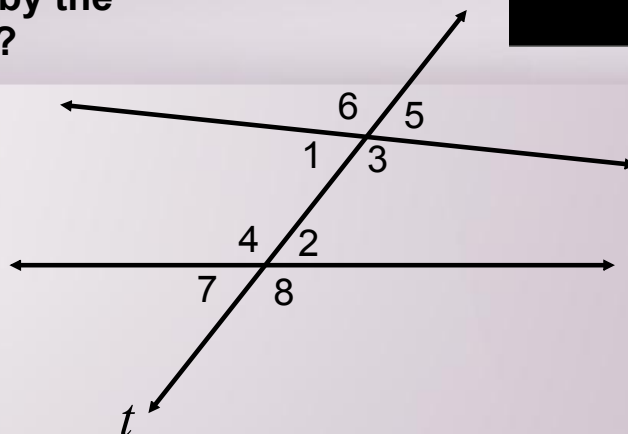


2 How many vert  $\angle$  pair are formed by the transversal?



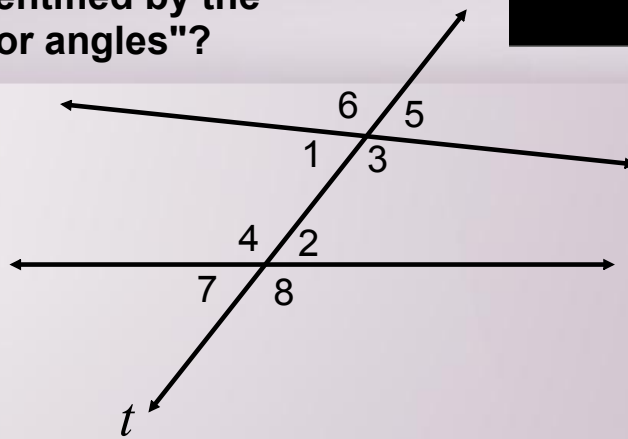
$\angle 6$  &  $\angle 8$  are not vert  $\angle$ 's!  
Their sides don't form opp rays.

3 How many both adj & suppl  $\angle$  pair are formed by the transversal?

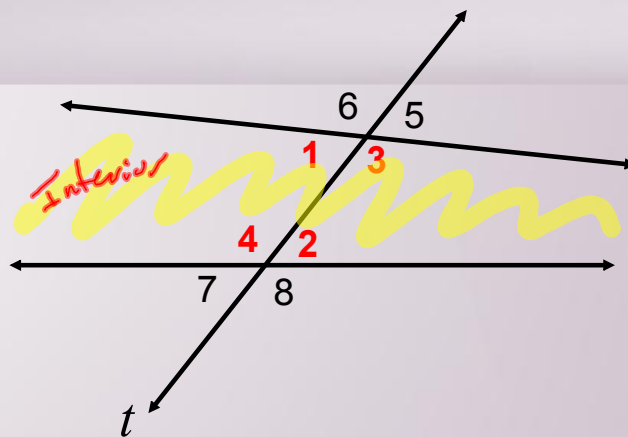


4 How many angles do you think are identified by the term "interior angles"?

- A 1
- B 2
- C 3
- D 4
- E 5
- F 6
- G 7
- H 8

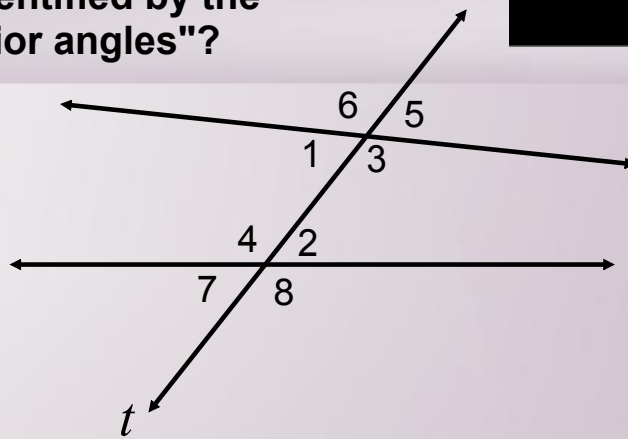


*Interior angles*:  $\angle$ 's formed by transversal btwn 2 lines.

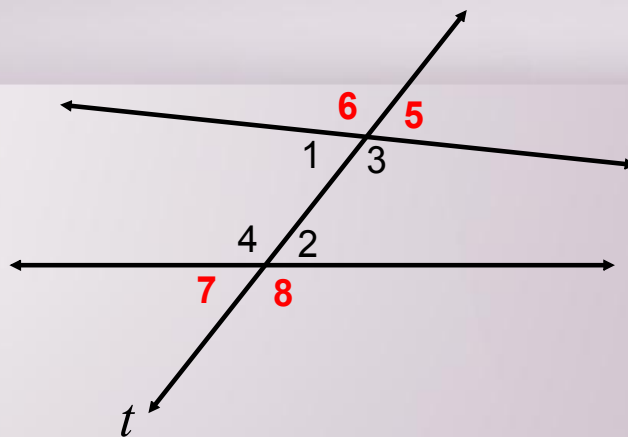


5 How many angles do you think are identified by the term "exterior angles"?

- A 1
- B 2
- C 3
- D 4
- E 5
- F 6
- G 7
- H 8

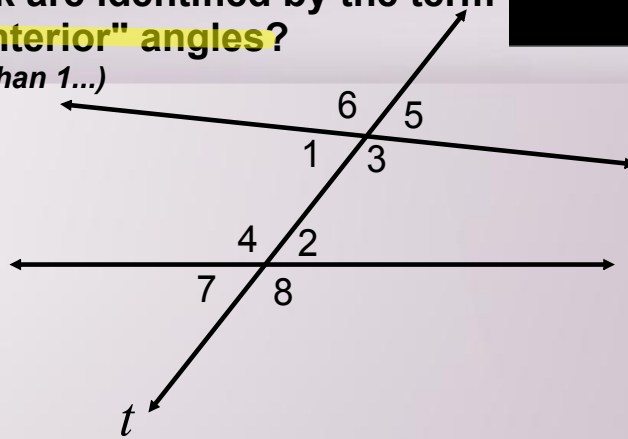


*Exterior angles:*  $\angle$ 's formed by transversal outside 2 lines.

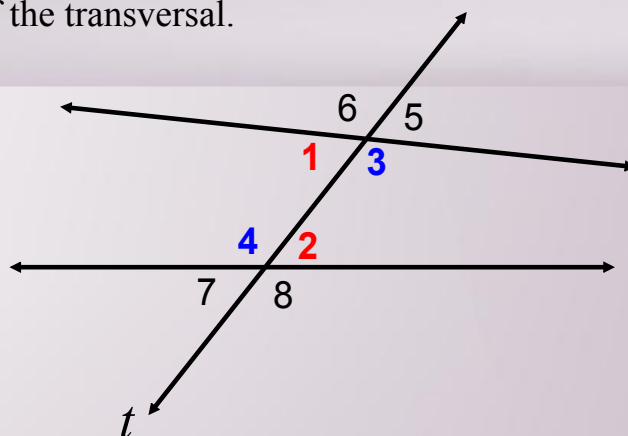


6 Which of the following pairs of angles do you think are identified by the term "alternate interior" angles?  
 (may be more than 1...)

- A 1, 2
- B 1, 3
- C 1, 4
- D 2, 3
- E 2, 4
- F 3, 4



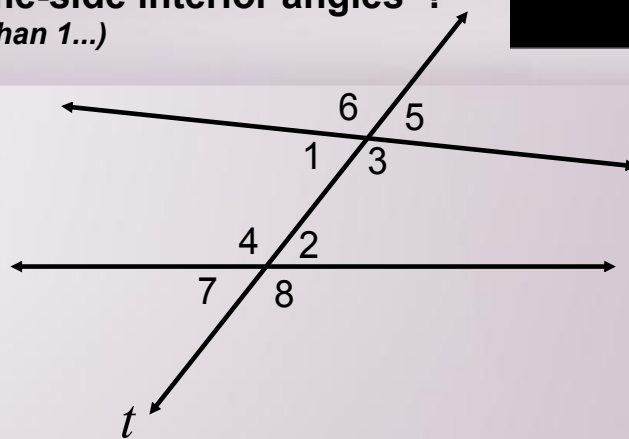
*Alternate interior angles:* nonadjacent interior  $\angle$ 's that lie on opposite sides of the transversal.



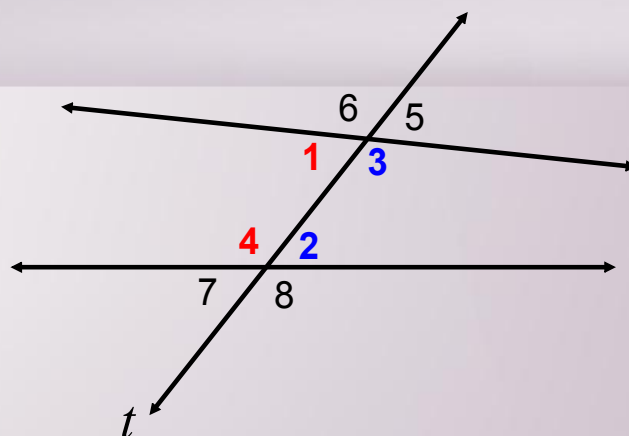


7 Which angle pairs are indicated by the phrase "same-side interior angles"?  
 (may be more than 1...)

- A 1, 2
- B 1, 3
- C 1, 4
- D 2, 3
- E 2, 4
- F 3, 4

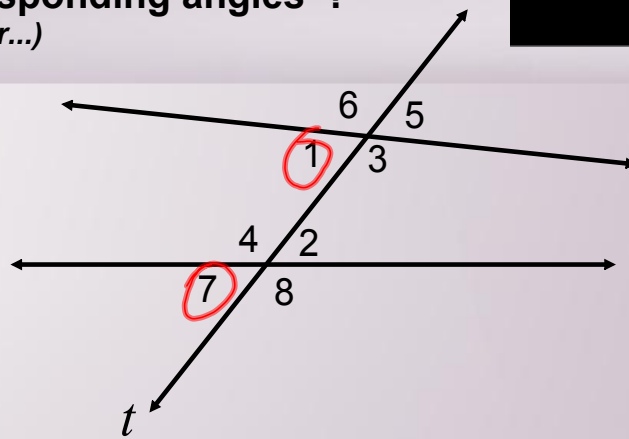


*Same-side interior angles*: int  $\angle$ 's that lie on same side of transversal.

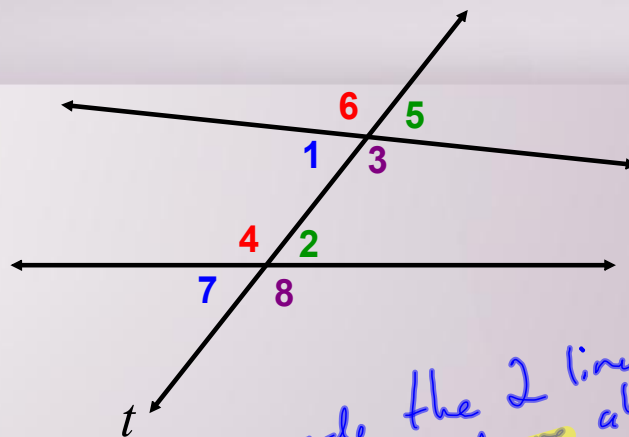


8 Which angle pairs are indicated by the term "corresponding angles"?  
(there are 4 pair...)

- A 1, 7
- B 1, 8
- C 3, 7
- D 3, 8
- E 5, 4
- F 5, 2
- G 6, 4
- H 6, 2

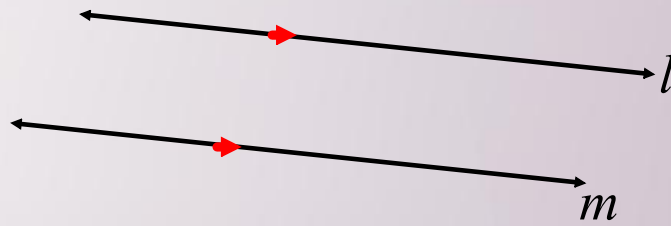


**Corresponding angles:**  $\angle$ 's on the same side of the transversal & of the 2 lines.

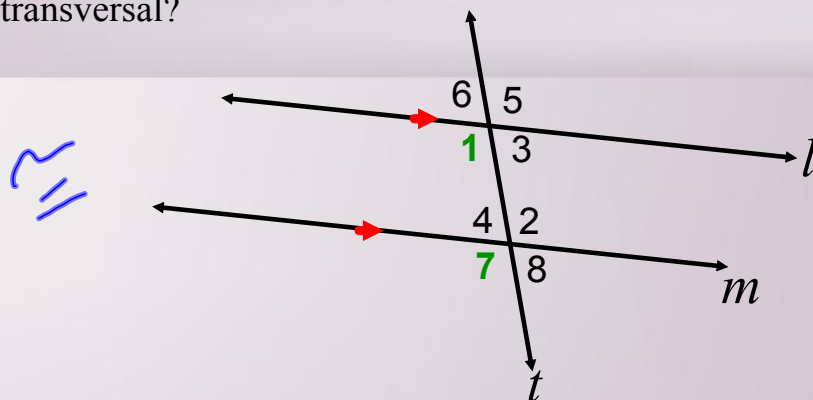


Now, what if we made the 2 lines parallel...  
what would you conjecture about:  
corr  $\angle$ 's:  $\cong$   
alt int  $\angle$ 's:  $\cong$   
SSI  $\angle$ 's: suppl

**Parallel lines:** 2 or more lines are  $\parallel$  iff coplanar & not intersect

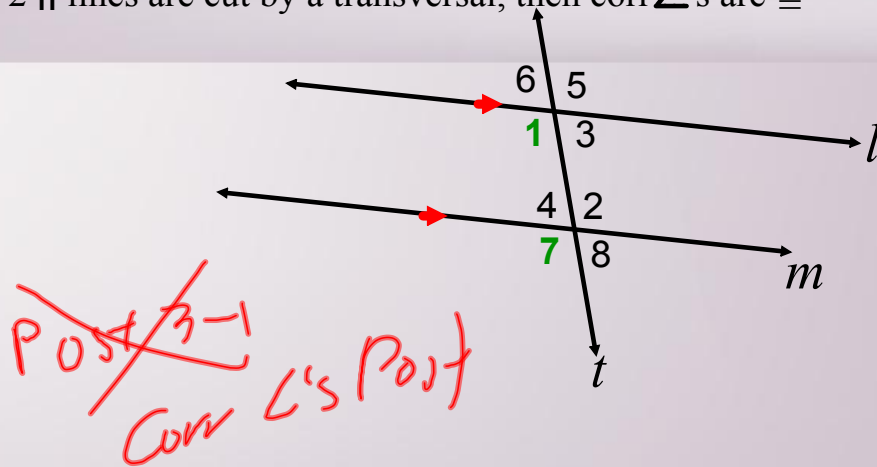


What would you conjecture about corr  $\angle$ 's formed by  $\parallel$  lines and a transversal?



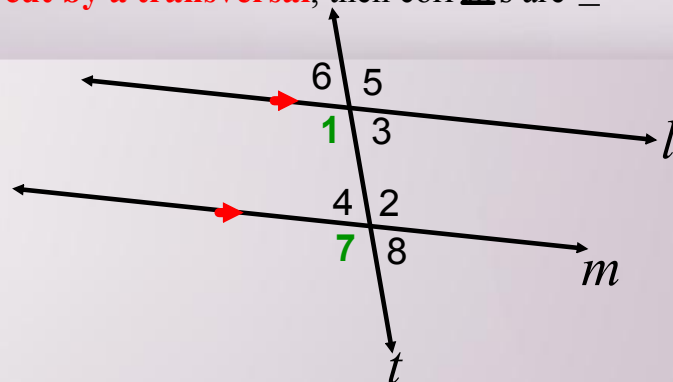
**Postulate 3-1: Corresponding Angles Postulate**

If 2 || lines are cut by a transversal, then corr  $\angle$ 's are  $\cong$

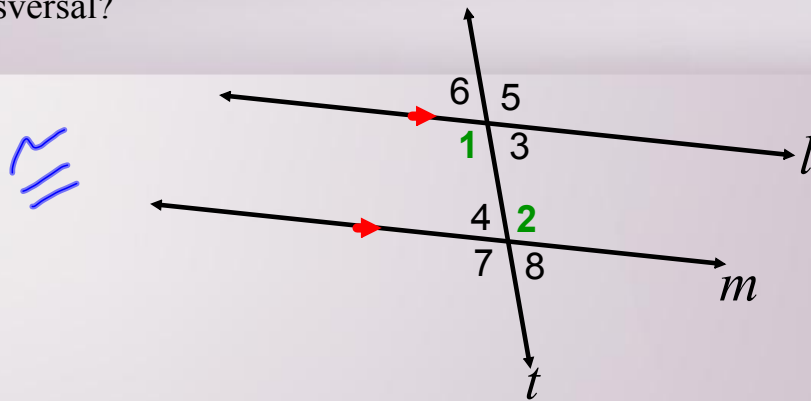


**Postulate 3-1: Corresponding Angles Postulate**

If 2 || lines are cut by a transversal, then corr  $\angle$ 's are  $\cong$



What would you conjecture about alt int  $\angle$ 's formed by  $\parallel$  lines & a transversal?



Plan a proof...

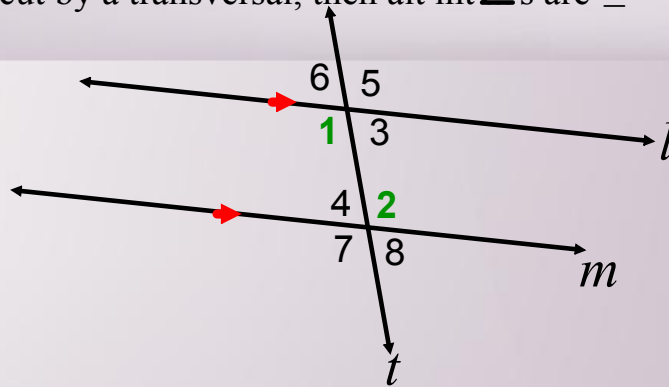
The diagram from the previous slide is annotated with blue and red circles and arrows. Red circles highlight angles 1 and 2, and angles 5 and 6. Blue circles highlight angles 3 and 4. Red arrows point from angles 5 and 6 to angle 1, and from angles 3 and 4 to angle 2. Handwritten notes include:

- $\text{vert } \angle\text{'s} \cong$  (in red)
- $\text{corr } \angle\text{'s } \parallel \text{ lines} \cong$  (in blue)
- $m\angle 1 = m\angle 5$  (circled in blue)
- $m\angle 5 = m\angle 6$  (circled in blue)
- $\text{vert } \angle\text{'s} \cong$  (in blue)
- $m\angle 6 = m\angle 2$  (circled in blue)
- $\text{corr } \angle\text{'s } \cong \text{ if } \parallel$  (in blue)
- $m\angle 1 = m\angle 2$  trans PofE (in blue)
- $\angle 1 \cong \angle 2$  defn  $\cong$   $\angle\text{'s}$  (in blue)
- QED (in blue)
- WOOT (circled in blue)

## Alt Int $\angle$ 's Thm

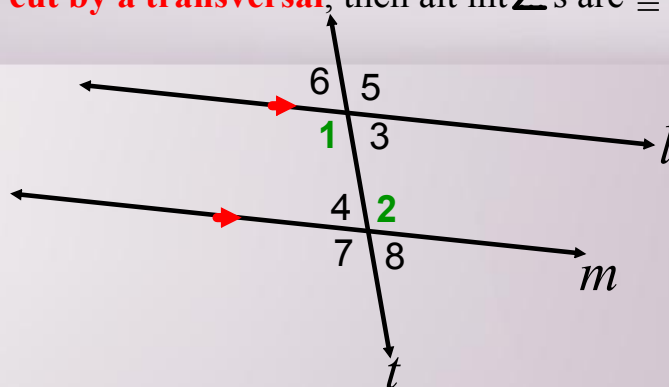
### **Theorem 3-1: Alternate Interior Angles Theorem**

If 2  $\parallel$  lines are cut by a transversal, then alt int  $\angle$ 's are  $\cong$

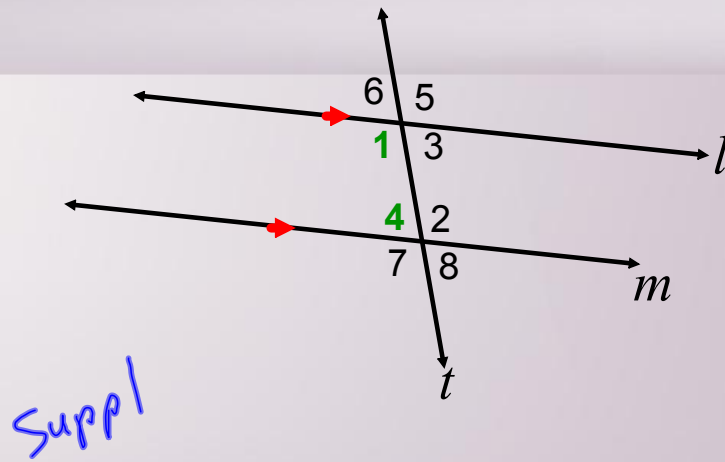


### **Theorem 3-1: Alternate Interior Angles Theorem**

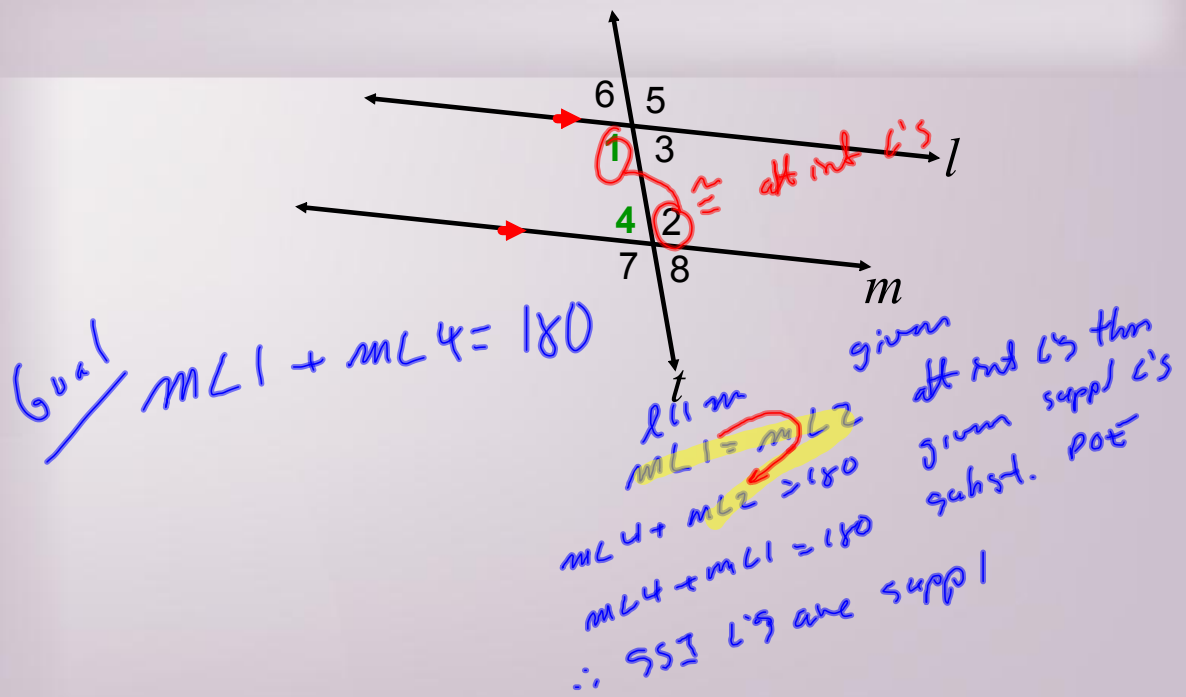
**If 2  $\parallel$  lines are cut by a transversal**, then alt int  $\angle$ 's are  $\cong$



What would you conjecture about same-side int  $\angle$ 's formed by  $\parallel$  lines and a transversal?



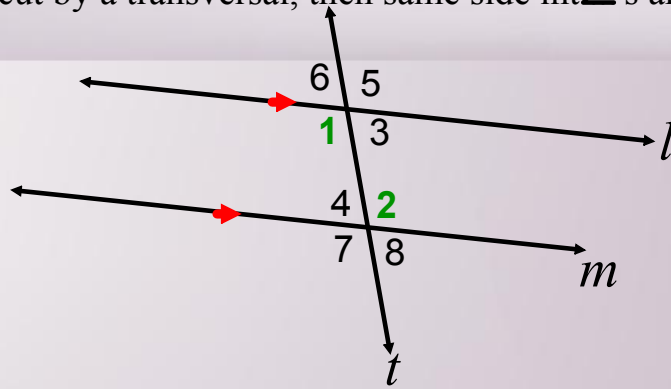
Plan a proof...



SSI  $\angle$  Thm

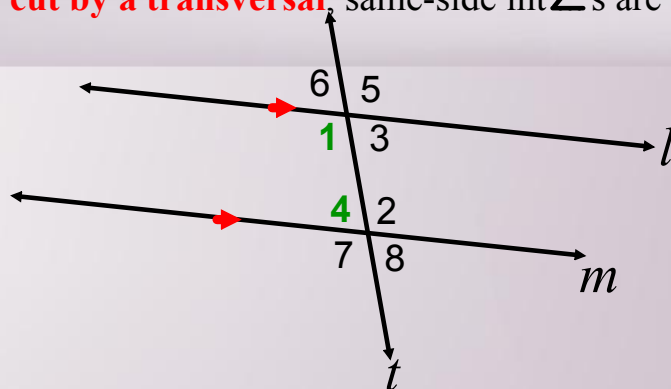
**Theorem 3-2: Same-side Interior Angles Theorem**

If 2  $\parallel$  lines are cut by a transversal, then same side int  $\angle$ 's are supplemental

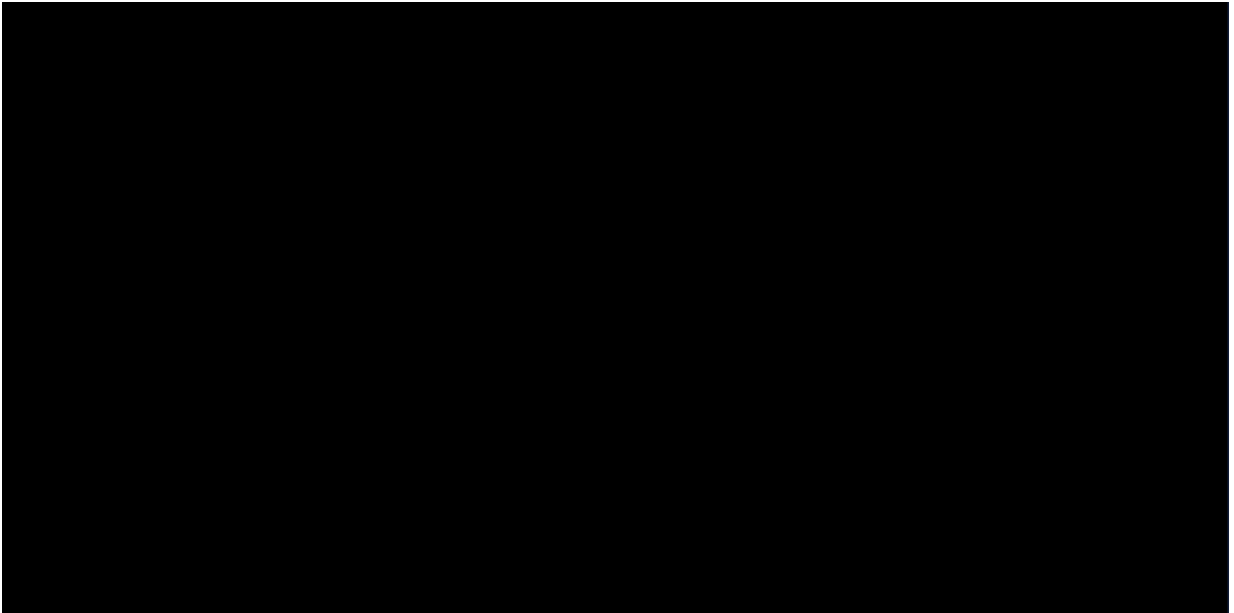


**Theorem 3-2: Same-side Interior Angles Theorem**

**If 2  $\parallel$  lines are cut by a transversal**, same-side int  $\angle$ 's are supplemental







questions  
next

**1 a**

**2 b**

**3 c**

**4 d**

**5 e**

a)  $m\angle 3 =$

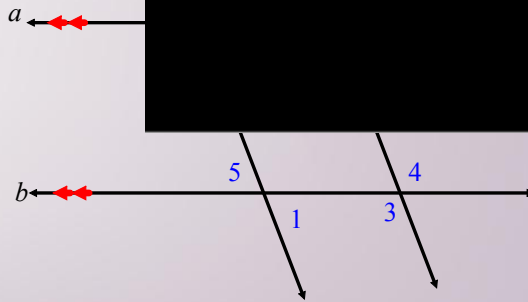
b)  $m\angle 4 =$

c)  $m\angle 5 =$

d)  $m\angle 6 =$

e)  $m\angle 7 =$

f)  $m\angle 8 =$



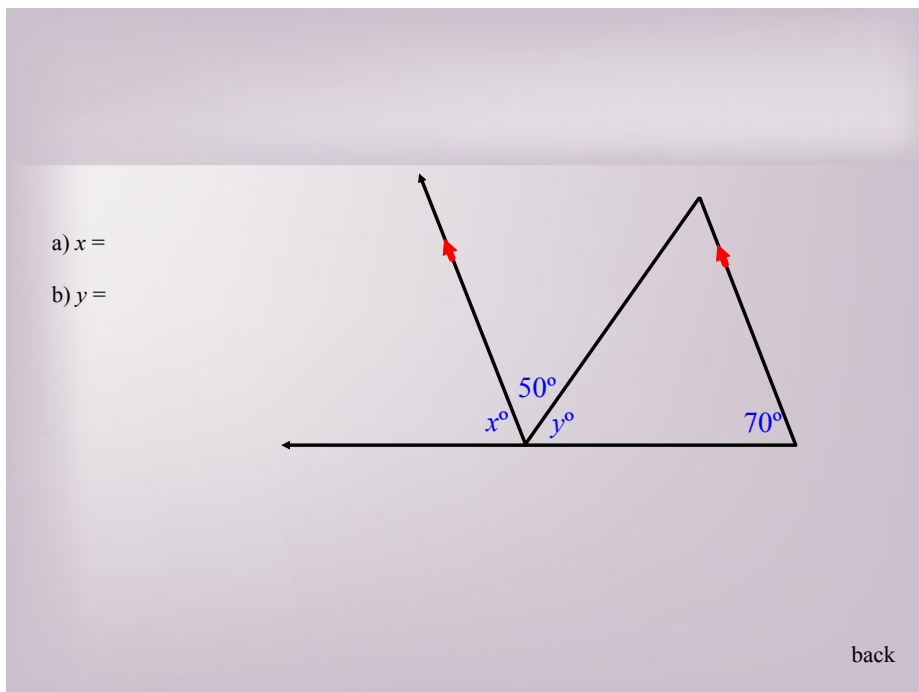
back

6

questions

next

1 a



2

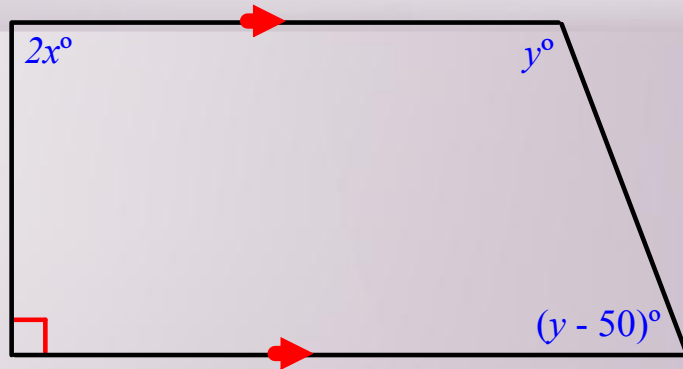
questions  
next

**1 a**

2

a)  $x =$

b)  $y =$



back

## HW Problems

Pg 118 #1-9

11-25

30, 32, 33, 39, 40, 45